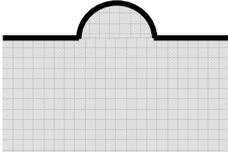


Wen-Cheng Shen's schedule in the last three months

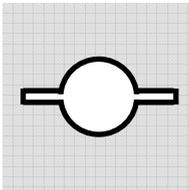
1. Eccentric case
Error analysis: BEM, Trefftz method, MFS and the present method
Contour plot: ABAQUS, BEM, exact solution and the present method
2. Velocity field disturbed by two equal cylinders for analytical solution
- 3.

	Interior	Exterior
Singular formulation		
Hypersingular formulation		

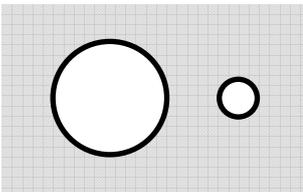
4. Find a numerical example in a half-plane bulged with a circular hill.



5. Laplace problem with straight boundary (with cracks)



6. Electrostatic potential



7. Anti-plane problem (Urge A. C. Wu to finish the subject using the program developed by W. C. Shen)
8. Degenerate kernel

$$U(s, x) = \begin{cases} U^i(R, \theta; \rho, \phi) = \ln R - \sum_{m=1}^{\infty} \frac{1}{m} \left(\frac{\rho}{R}\right)^m \cos m(\theta - \phi), & R \geq \rho \\ U^e(R, \theta; \rho, \phi) = \ln \rho - \sum_{m=1}^{\infty} \frac{1}{m} \left(\frac{R}{\rho}\right)^m \cos m(\theta - \phi), & \rho > R \end{cases}$$

$$M(s, x) = \begin{cases} M^i(R, \theta; \rho, \phi) = \sum_{m=1}^{\infty} \left(\frac{m\rho^{m-1}}{R^{m+1}}\right) \cos m(\theta - \phi), & R \geq \rho \\ M^e(R, \theta; \rho, \phi) = \sum_{m=1}^{\infty} \left(\frac{mR^{m-1}}{\rho^{m+1}}\right) \cos m(\theta - \phi), & \rho > R \end{cases}$$

Since the potential resulted from $T(s, x)$ and $L(s, x)$ kernels are discontinuous cross the boundary, the $T(s, x)$ for $R \rightarrow \rho^+$ and $R \rightarrow \rho^-$ are different. This is the reason why $R = \rho$ is not included in expressional degenerate kernels of $T(s, x)$ and $L(s, x)$.

9. Easy manual of LPCB (Laplace Problems with Circular Boundary) and ABAQUS