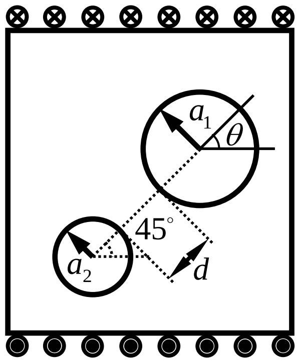
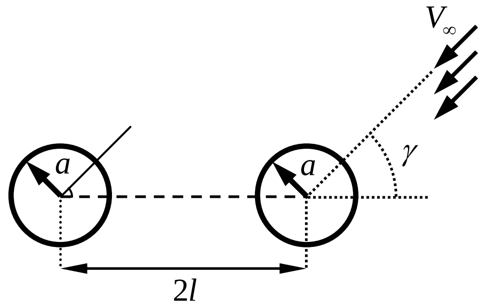
	吳安傑	沈文成
物理問題	反平面二空洞問題  	二圓柱流場問題 
Governing equation	$\nabla^2 u_t(x) = 0, x \in D$	$\nabla^2 u_t(x) = 0, x \in D$
Boundary condition	$\frac{\partial u_t}{\partial n} = 0 \text{ on } B$	$\frac{\partial u_t}{\partial n} = 0 \text{ on } B$
Potential function	$u_t = u + u^\infty$	$u_t = u + u^\infty$
滿足無窮遠項	$u^\infty = \frac{\tau y}{\mu}$, the medium is under shear $\sigma^\infty{}_{32} = \tau, \sigma^\infty{}_{31} = 0$.	$u^\infty = V_\infty x \cos\gamma + V_\infty y \sin\gamma$, where V_∞ is the velocity at infinity making angle γ with the line joining the centers of the cylinders.
Present method (BIEM)	G.E. $\nabla^2 u = 0, x \in D$ B.C. $\frac{\partial u}{\partial n} = \frac{\tau}{\mu} \sin\theta, x \in B, 0 < \theta < 2\pi$ 解 u	G.E. $\nabla^2 u = 0, x \in D$ B.C. $\frac{\partial u}{\partial n} = V_\infty \cos\theta \cos\gamma + V_\infty \sin\theta \sin\gamma$ $, x \in B, 0 < \theta < 2\pi$ 解 u

Reference：

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【Filename: anti-uniform.doc】 by A. C. Wu